

show understanding that all physical quantities consist of a numerical magnitude and a unit

## Physical Quantities

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A physical quantity is something we can measure, like

length

time

mass

temperature

e.g. my height is 160. 160 what?  
I must say 160 cm. cm is a unit.

Length can also be in metres, mm, inches,  
miles, ...

If I take 30 min to get to school,  
this quantity is time, minute is the unit here.

Time can also have units of second,  
hour, day, ...

If I say I am 60 kg,  
you know this is my mass, ∴ kg is the unit.

Mass can also be in gram, pound, kati, ...

recall the following base quantities and their units: mass (kg), length (m), time (s), current (A), temperature (K), amount of substance (mol)

## SI Units

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Scientists standardise units for:

SI units

	<u>unit</u>	<u>symbol</u>
mass	kilogram	kg
length	metre	m
time	second	s
current	ampere	A
temperature	kelvin	K
amount of substance	mole	mol

These are called base units - all others can be derived.

$$\begin{aligned} \text{e.g. } 1 \text{ cm} &= \frac{1}{100} \text{ m} \\ 1 \text{ gram} &= \frac{1}{1000} \text{ kg} \end{aligned}$$

$$\begin{aligned} \text{e.g. velocity : metre per second} &= \text{m / s} \\ \text{density : gram per cubic cm} &= \text{g / cm} \end{aligned}$$

$$\begin{aligned} \text{force : newton} &= \text{kg} \cdot \text{m / s} \\ \text{energy : joule} &= \text{kg} \cdot \text{m}^2 / \text{s}^2 \end{aligned}$$

$$\text{electric charge : coulomb} = \text{A} \cdot \text{s}$$

(will explain in later topics)

use the following prefixes and their symbols to indicate decimal sub-multiples and multiples of the SI units: nano (n), micro ( $\mu$ ), milli (m), centi (c), deci (d), kilo (k), mega (M)

## Prefixes

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We know  $1 \text{ kg} = 1000 \text{ g}$ ,  $1 \text{ cm} = \frac{1}{100} \text{ m}$ .

k, c are prefixes.

<u>Prefix</u>	<u>symbol</u>	<u>meaning</u>
nano	n	$10^{-9}$
micro	$\mu$	$10^{-6}$
milli	m	$10^{-3}$
centi	c	$10^{-2}$
deci	d	$10^{-1}$
kilo	k	$10^3$
Mega	M	$10^6$

e.g.

$$1 \text{ ns} = 10^{-9} \text{ s}$$
$$1 \mu\text{g} = 10^{-6} \text{ g}$$
$$1 \text{ Mm} = 10^6 \text{ m}$$

e.g. convert density of water from  $1 \text{ g/cm}^3$  to  $\text{kg/m}^3$ .

Recall  $1 \text{ g} = 0.001 \text{ kg}$  ( $\because 1 \text{ kg} = 1000 \text{ g}$ )  
 $1 \text{ cm} = 0.01 \text{ m}$

Use algebra:

$$1 \text{ g/cm}^3 = 0.001 \text{ kg} / (0.01 \text{ m})^3 = 1000 \text{ kg/m}^3$$

show an understanding of the orders of magnitude of the sizes of common objects ranging from a typical atom to the Earth

## Orders of Magnitude

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means rough value - in physics - within factor of 10

(Wiki) e.g.	0.1 nm	atom
	10 nm	cell wall thickness
	100 nm	virus
	1 $\mu\text{m}$	red light wavelength
	10 $\mu\text{m}$	blood cell water droplet
	100 $\mu\text{m}$	hair width
	1 mm	ant
	1 cm	mosquito
	10 cm	radio wavelength
	1 m	human height
	10 m	bus
	100 m	football court
	10 km	Mount Everest
	10 000 km	diameter of Earth

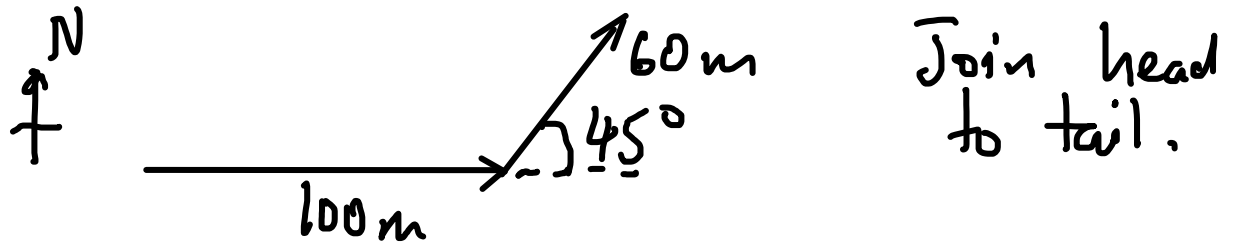


# Adding Vectors

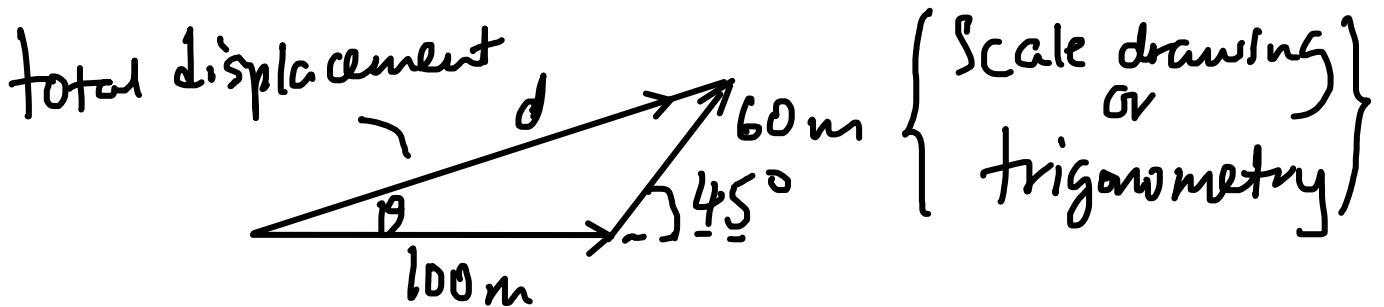
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E.g. I walk 100 m east. Then 60 m north-east.  
What is my total displacement?

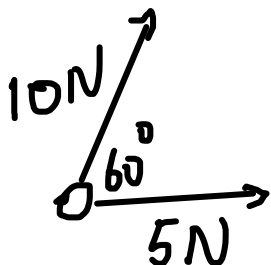
Ans. draw arrows for the vectors:

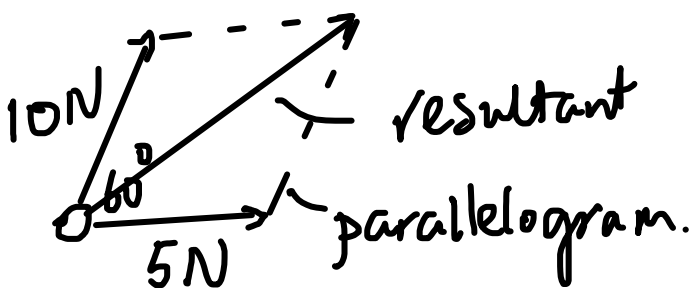


Then draw start to end:



The answer **MUST** give the magnitude ( $d$ )  
**AND** the direction (e.g.  $\theta$ ).

E.g.  Two force pull at a stone.  
Find the resultant force.

Ans. Can also do this  resultant  
parallelogram.

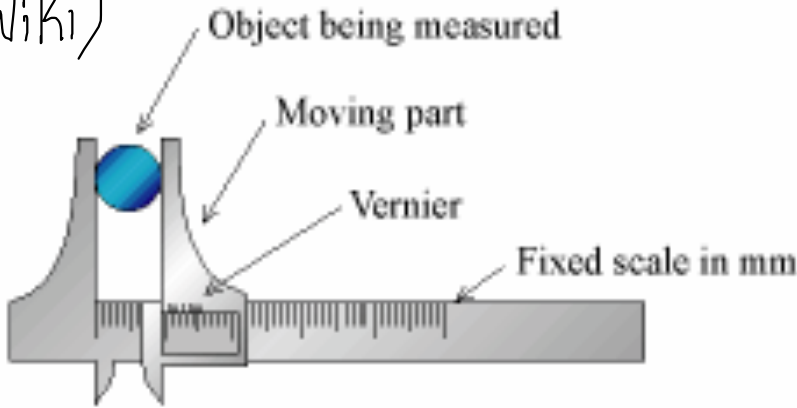
describe how to measure a variety of lengths with appropriate accuracy by means of tapes, rules, micrometers and calipers, using a vernier scale as necessary

# Measuring Lengths

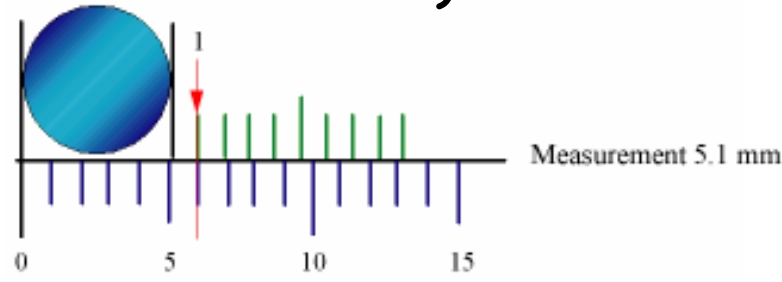
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## Vernier Calipers

(Wiki)

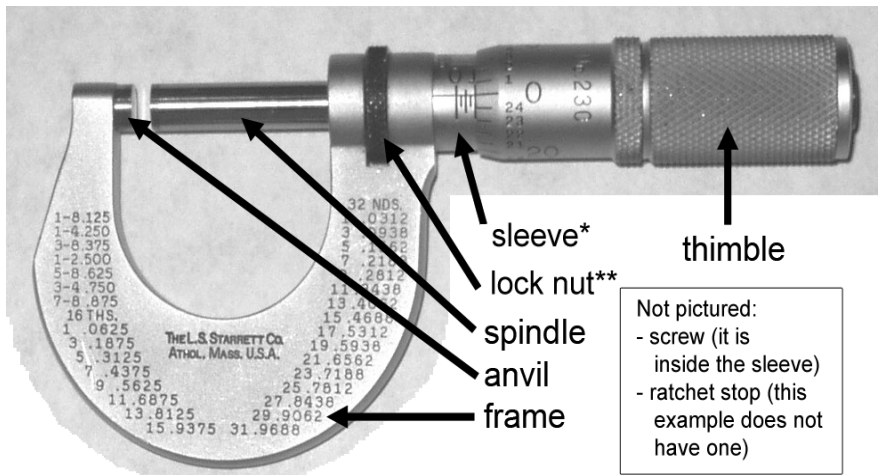


Reading



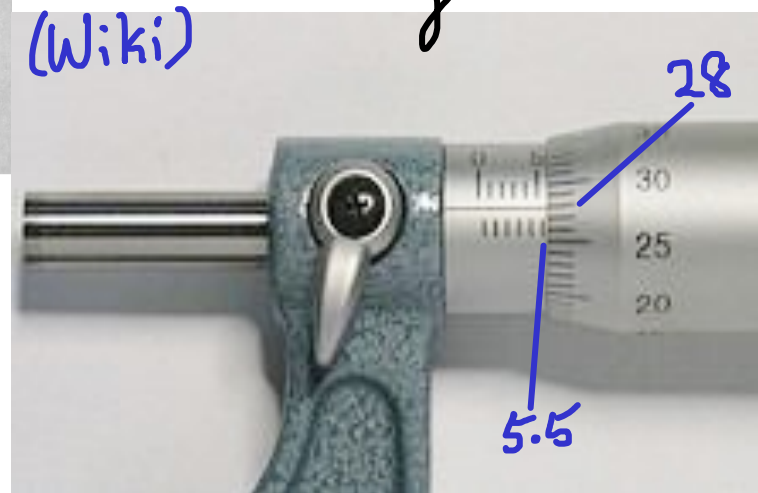
$$\begin{array}{r} 5 \\ + 0.1 \\ \hline 5.1 \text{ mm} \end{array}$$

## Micrometer screw gauge



(Wiki)

Reading



$$\begin{array}{r} 5.5 \\ + 0.28 \\ \hline 5.78 \text{ mm} \end{array}$$

\*Sleeve is the most prevalent name. May also be called the barrel or stock.

\*\*Aka lock-ring. Some mics have a lock lever instead.

describe how to measure a short interval of time including the period of a simple pendulum with appropriate accuracy using stopwatches or appropriate instruments

## Short Time Intervals

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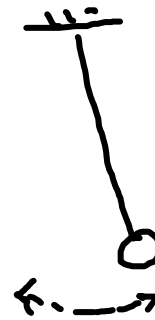
e.g. Can use stop watch to measure time.



W.k.i

What if interval is very short?

Time taken to press stop watch can give error.



e.g. about  $\frac{1}{2}$  s per cycle.

One way to reduce error:

1. Count many cycles, e.g. 20.
2. Measure total time, e.g. 17.2 s
3. Divide by no. of cycles, e.g.  $\frac{17.2}{20}$  s